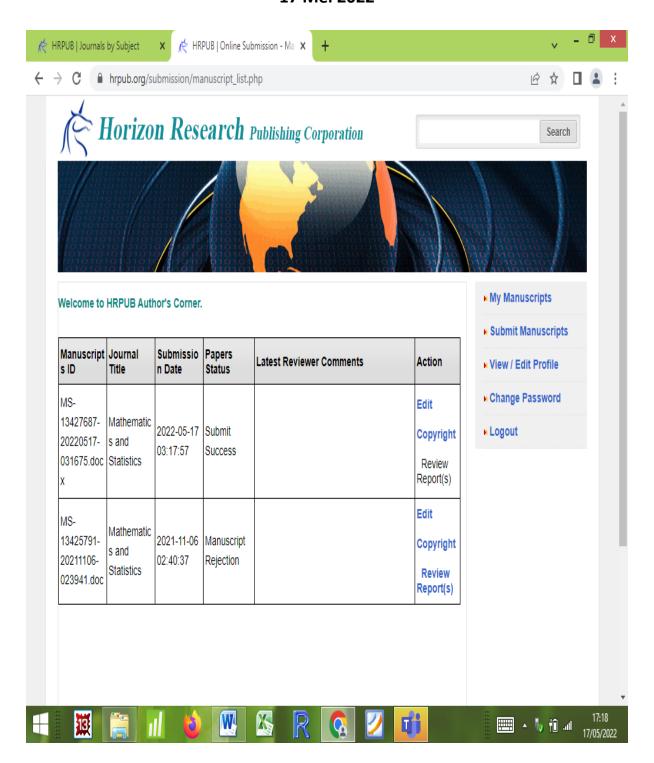
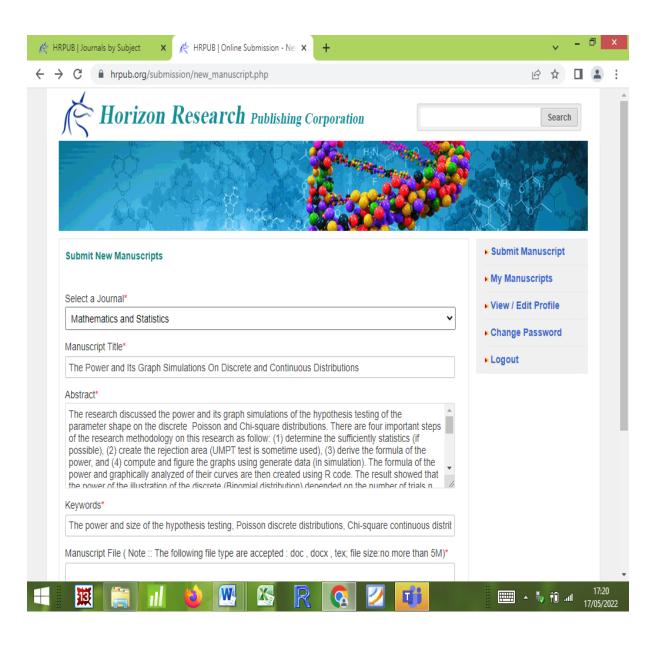
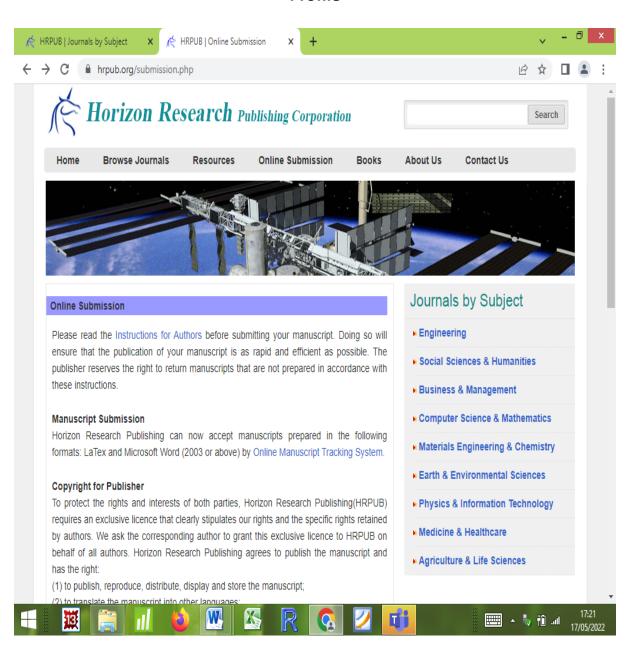
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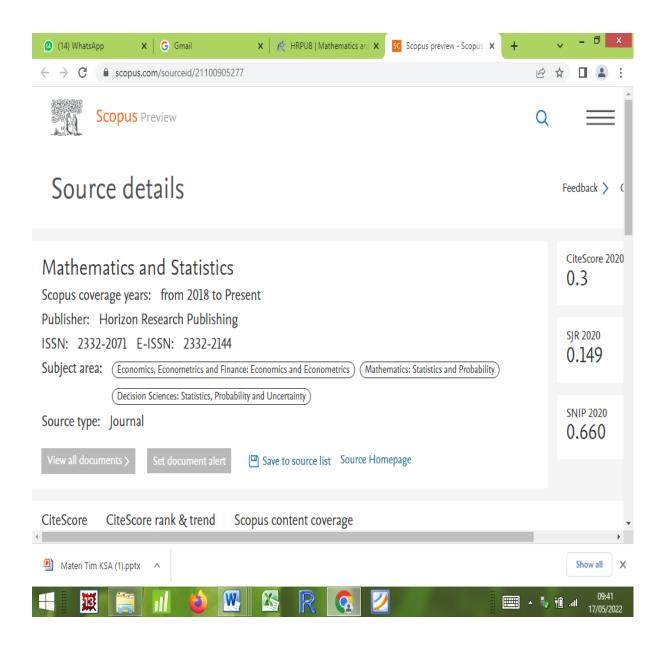
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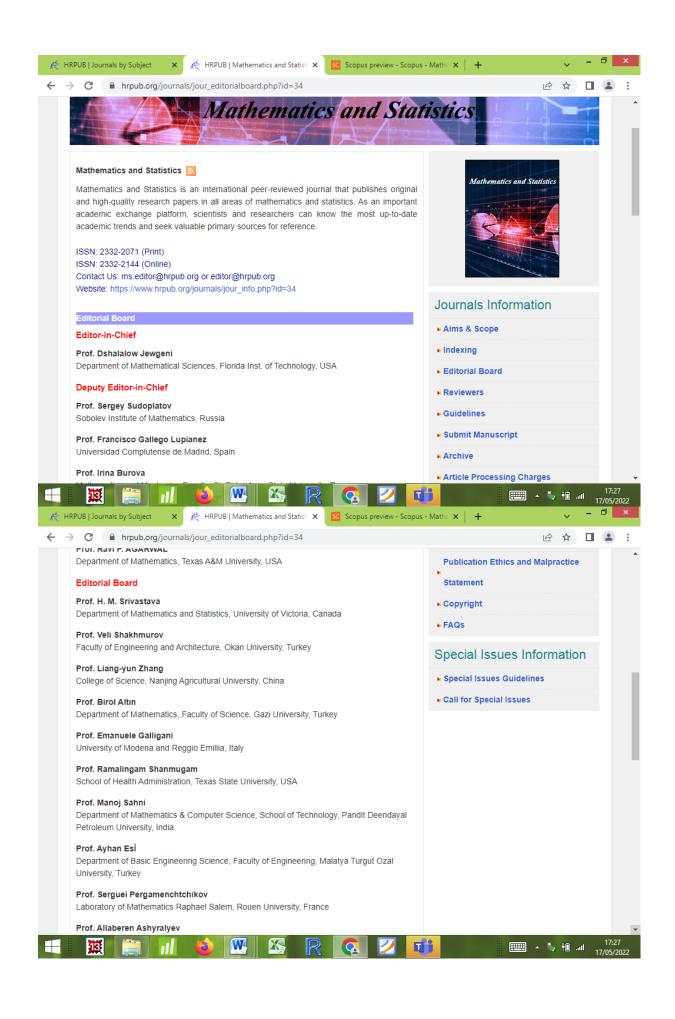
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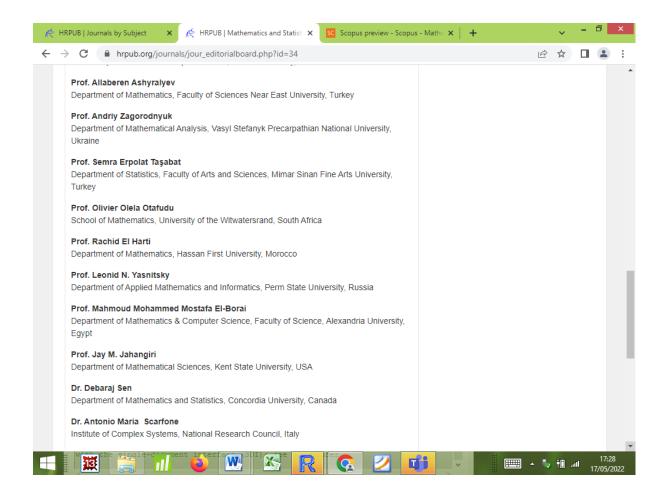


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Manuscript Status Update On (ID: 13427687): Current Status – Under Peer Review- The Power and Its Graph Simulations on Discrete and Continuous Distributions

Chloe Crawford chloe Crawford cpreview.hrpub@gmail.com>

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The R-code of the Graph (Sent 21 May 2022) to the editor for revision Graphs

R code of the Power

```
(1) for k = 1,2,3,4,5
op < -par(mfrow = c(1,1))
pi<-function(r)(1-((-(gamma(r/2)*pgamma(0.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi2<-function(r)(1-((-(gamma(r/2)*pgamma(1,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi3<-function(r)(1-((-(gamma(r/2)*pgamma(1.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi4<-function(r)(1-((-(gamma(r/2)*pgamma(2,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi5<-function(r)(1-((-(gamma(r/2)*pgamma(2.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
curve(pi,0,100,n=2000,xname="r",col="black")
curve(pi2,0,100,n=2000,add=TRUE,col="red")
curve(pi3,0,100,n=2000,add=TRUE,col="dark blue")
curve(pi4,0,100,n=2000,add=TRUE,col="orange")
curve(pi5,0,100,n=2000,add=TRUE,col="dark green")
legend(60,0.8,title="k",c(expression(k=1),expression(k=2),expression(k=3),expression(k=4),
expression(k=5)),col=c('black','red','dark blue','orange','dark green'),lty=1,bg='white')
(2) for k = 6,7,8,9,10
op < -par(mfrow = c(1,1))
pi6<-function(r)(1-((-(gamma(r/2)*pgamma(3,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi7<-function(r)(1-((-(gamma(r/2)*pgamma(3.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi8<-function(r)(1-((-(gamma(r/2)*pgamma(4,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
```

```
pi9<-function(r)(1-((-(gamma(r/2)*pgamma(4.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi10<-function(r)(1-((-(gamma(r/2)*pgamma(5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
curve(pi6,0,100,n=2000, xname="r",col="black")
curve(pi7,0,100,n=2000,add=TRUE,col="red")
curve(pi8,0,100,n=2000,add=TRUE,col="dark blue")
curve(pi9,0,100,n=2000,add=TRUE,col="orange")
curve(pi10,0,100,n=2000,add=TRUE,col="dark green")
legend(60,0.8,title="k",c(expression(k=6),expression(k=7),expression(k=8),expression(k=9),
expression(k=10)),col=c('black','red','dark blue','orange','dark green'),lty=1,bg='white')
(3) for k = 11,12,13,14,15
op < -par(mfrow = c(1,1))
pi11<-function(r)(1-((-(gamma(r/2)*pgamma(5.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi12<-function(r)(1-((-(gamma(r/2)*pgamma(6,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi13<-function(r)(1-((-(gamma(r/2)*pgamma(6.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi14<-function(r)(1-((-(gamma(r/2)*pgamma(7,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi15<-function(r)(1-((-(gamma(r/2)*pgamma(7.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
curve(pi11,0,100,n=2000,xname="r",col="black")
curve(pi12,0,100,n=2000,add=TRUE,col="red")
curve(pi13,0,100,n=2000,add=TRUE,col="dark blue")
curve(pi14,0,100,n=2000,add=TRUE,col="orange")
curve(pi15,0,100,n=2000,add=TRUE,col="dark green")
legend(60,0.8,title="k",c(expression(k=11),expression(k=12),expression(k=13),expression(k
=14),expression(k=15)),col=c('black','red','dark blue','orange','dark green'),lty=1,bg='white')
```

(4) for k = 16,17,18,19,20

```
op < -par(mfrow = c(1,1))
pi16<-function(r)(1-((-(gamma(r/2)*pgamma(8,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi17<-function(r)(1-((-(gamma(r/2)*pgamma(8.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi18<-function(r)(1-((-(gamma(r/2)*pgamma(9,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi19<-function(r)(1-((-(gamma(r/2)*pgamma(9.5,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
pi20<-function(r)(1-((-(gamma(r/2)*pgamma(10,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
curve(pi16,0,100,n=2000, xname="r",col="black")
curve(pi17,0,100,n=2000,add=TRUE,col="red")
curve(pi18,0,100,n=2000,add=TRUE,col="dark blue")
curve(pi19,0,100,n=2000,add=TRUE,col="orange")
curve(pi20,0,100,n=2000,add=TRUE,col="dark green")
legend(60,0.8,title="k",c(expression(k=16),expression(k=17),expression(k=18),expression(k
=19),expression(k=20)),col=c('black','red','dark blue','orange','dark green'),lty=1,bg='white')
```

R code of the size

```
(1) for k = 1,2,3,4,5 op<-par(mfrow=c(1,1)) alpha<-function(r)(1-((-(gamma(r/2)*pgamma(8,r/2,lower=FALSE)-(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2)))) alpha1<-function(r)0.3+(0*r) alpha2<-function(r)0.16+(0*r) alpha3<-function(r)0.08+(0*r) alpha4<-function(r)0.045+(0*r) alpha5<-function(r)0.025+(0*r) curve(alpha,0,100,n=2000,xname="r",col="white") curve(alpha1,0,100,n=2000,add=TRUE,col="black") curve(alpha2,0,100,n=2000,add=TRUE,col="red")
```

```
curve(alpha3,0,100,n=2000,add=TRUE,col="dark blue")
curve(alpha4,0,100,n=2000,add=TRUE,col="orange")
curve(alpha5,0,100,n=2000,add=TRUE,col="dark green")
legend(60,1.0,title="k",c(expression(k=1),expression(k=2),expression(k=3),expression(k=4),
expression(k=5)),col=c('black','red','dark blue','orange','dark green'),lty=1,bg='white')
(2) for k = 6.7.8.9.10
op < -par(mfrow = c(1,1))
alpha<-function(r)(1-((-(gamma(r/2)*pgamma(8,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
alpha6 < -function(r)0.014 + (0*r)
alpha7 < -function(r)0.008 + (0*r)
alpha9 < -function(r)0.0027 + (0*r)
alpha10 < -function(r)0.0016 + (0*r)
alpha8 < -function(r)0.0046 + (0*r)
curve(alpha,0,100,n=2000,xname="r",col="white")
curve(alpha6,0,100,n=2000,add=TRUE,col="black")
curve(alpha7,0,100,n=2000,add=TRUE,col="red")
curve(alpha8,0,100,n=2000,add=TRUE,col="dark blue")
curve(alpha9,0,100,n=2000,add=TRUE,col="orange")
curve(alpha10,0,100,n=2000,add=TRUE,col="dark green")
legend(60,1.0,title="k",c(expression(k=6),expression(k=7),expression(k=8),expression(k=9),
expression(k=10)),col=c('black','red','dark blue','orange','dark green'),lty=1,bg='white')
(3) for k = 11,12,13,14,15
op < -par(mfrow = c(1,1))
alpha<-function(r)(1-((-(gamma(r/2)*pgamma(8,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
alpha11 < -function(r)0.000911 + (0*r)
alpha12<-function(r)0.000532+(0*r)
alpha13 < -function(r)0.00031 + (0*r)
alpha14 < -function(r)0.0001828 + (0*r)
alpha15 < -function(r)0.0001075 + (0*r)
```

```
curve(alpha,0,100,n=2000,xname="r",col="white")
curve(alpha11,0,100,n=2000,add=TRUE,col="black")
curve(alpha12,0,100,n=2000,add=TRUE,col="red")
curve(alpha13,0,100,n=2000,add=TRUE,col="dark blue")
curve(alpha14,0,100,n=2000,add=TRUE,col="orange")
curve(alpha15,0,100,n=2000,add=TRUE,col="dark green")
legend(60,1.0,title="k",c(expression(k=11),expression(k=12),expression(k=13),expression(k
=14),expression(k=15)),col=c('black','red','dark blue','orange','dark green'),lty=1,bg='white')
(4) for k = 16,17,18,19,20
op < -par(mfrow = c(1,1))
alpha<-function(r)(1-((-(gamma(r/2)*pgamma(8,r/2,lower=FALSE)-
(gamma(r/2)*pgamma(0,r/2,lower=FALSE)))/gamma(r/2))))
alpha16 < -function(r)0.0000633 + (0*r)
alpha17 < -function(r)0.0000373 + (0*r)
alpha18 < -function(r)0.0000221 + (0*r)
alpha19 < -function(r)0.0000131 + (0*r)
alpha20<-function(r)0.00000774+(0*r)
curve(alpha,0,100,n=2000,xname="r",col="white")
curve(alpha16,0,100,n=2000,add=TRUE,col="black")
curve(alpha17,0,100,n=2000,add=TRUE,col="red")
curve(alpha18,0,100,n=2000,add=TRUE,col="dark blue")
curve(alpha19,0,100,n=2000,add=TRUE,col="yellow")
curve(alpha20,0,100,n=2000,add=TRUE,col="dark green")
legend(60,1.0,title="k",c(expression(k=16),expression(k=17),expression(k=18),expression(k
=19),expression(k=20)),col=c('black','red','dark blue','orange','dark green'),lty=1,bg='white')
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dari: **Anthony**

Robinson <revision.hrpub@gmail.com>

kepada: budi.pratikno@unsoed.ac.id

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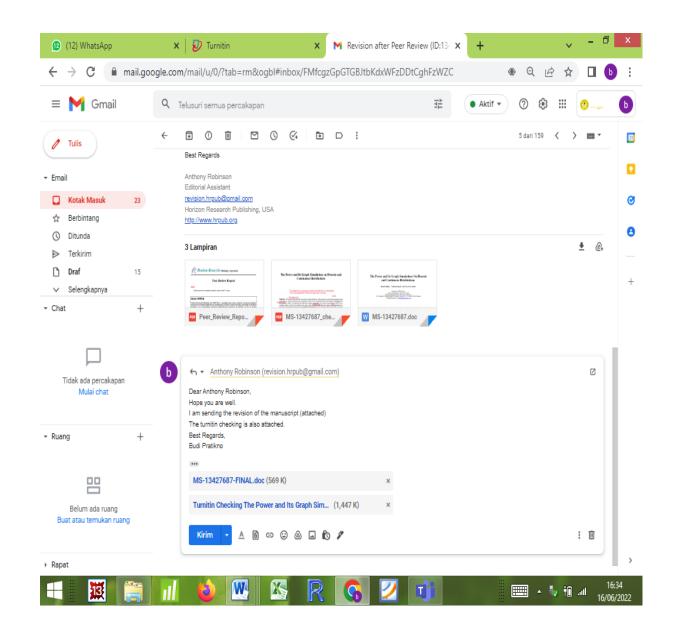
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dari: **Anthony Robinson** <revision.hrpub@gmail.com> kepada: "budi.pratikno" <budi.pratikno@unsoed.ac.id>

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tanggal: 11 Jul 2022 17.09

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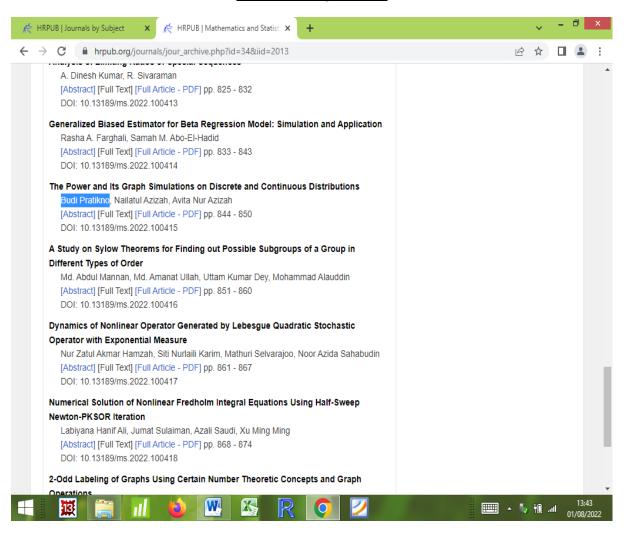
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The Power and Its Graph Simulations on Discrete and Continuous Distributions

The abstract is too long and should not look like an introduction. Avoid using parametrs that arer vague and not clear.

We determine Omit!

Abstract The research discussed the power and its graph simulations of the hypothesis testing of the parameter shape on the discrete Poisson and Chi-square distributions. There are four important steps of the research methodology on mature and statistics (if possible) (2) create the rejection area (UMPT test is sometime used), (3) derive the formula of the power, and (4) compute and figure the graphs using generate data (in simulation). The formula of the power and graphically analyzed of their curves are then created using R code. The result showed that the power of the illustration of the discrete (Binomial distribution) depended in the number of trials R and bound of the rejection area. The curve of the power is sigmoid (S-curve) and tend to be zero when the greater R is the tagency decreases (started from theta = 0.2) as the parameter theta increases. In the Poisson context, the curves of the power of the Poisson distribution is not R-curve, and it is only depended on the parameter shape R. We noted that the curve of the power of the Poisson distribution is greater than 0.05, so it is not a reasonable thing even the power close to be one. In this context, we must have the maximum power and minimum size. In the context of Chi-square distribution, the graph of the power and size functions was depended on rejection region boundary (R). Here, we noted that R increases as the R increases. We here also noted that the power quickly to be one for large degree of freedom (R).

Keywords -The power-and-size of the hypothesis-testing, Poisson discrete distributions, Chi-square continuous distribution, parameter shape, and R-code

1. Introduction

In the theory of statistics, there are three important concepts of the hypothesis testing in rejecting or accepting null hypothesis (H_0) , namely (1) a probability error type I (α) , (2) a probability error type II (β) and (3) power of the test $(\pi(\theta))$ (Wackerly, et al. [5]). Here, the power is a significant method to test the hypothesis testing on parameter shape. Therefore, we then studied more detail the power of the hypothesis testing on some various discreet and continuous distributions. Furthermore, Wackerly, et al. [5] defined the power as a probability to reject H_0 under H_1 in testing hypothesis parameter shape, $H_0: \theta = \theta_0$ versus $H_1: \theta \neq \theta_0$, for parameter θ .

Following to the previous research, we noted many authors, such as Pratikno [2], Khan and Pratikno [22] and Khan [12], already used the power in testing intercept with non-sample prior information (NSPI). They used the probability integral of the cumulative distribution function (cdf) of the continuous distributions. Moreover, Pratikno [2] and Khan et al. [11] used the power and size to compute the cdf of the bivariate noncentral F (BNCF) distribution in multivariate and multiple regression models. Here, we also noted that many authors, such as Khan [12, 13, 14], Khan and Saleh [15,16,17, 20, 21], Khan and Hoque [19], Saleh [1], Yunus [6], and Yunus and Khan [7, 8, 9, 10], have contributed to the research of the power in the context of the hypothesis area. In the context of the hypothesis testing with NSPI on multivariate and multiple regression models, Pratikno [2] and Khan et al. [11] used the BNCF distribution to compute the power using R-code. This is due to the computation of the probability integral of the probability distribution function (pdf) and cdf of the BNCF distribution are very complicated and hard (see Pratikno [2] and Khan et al. [18]), so the R code is used.

- As we noted that some the previous research studied the power of the hypothesis testing on the continuous#* distribution, but here we focused to have research on discrete distributions (Poisson and Binomial as initiate distributions) and continuous Chi-square distribution. Furthermore, the steps to compute the power of the Binomial (as initiate), Poisson and Chi-square distributions are similar with the previous theory (or research), that are: (1) we must determine the sufficiently statistics (if possible), (2) we then create the rejection area using uniformly most powerful test (UMPT, if needed), (3) we then must derive the formula of the power of the discrete and continuous distributions, and (4) finally, we do graphically analyzed of the power. A simulation is then conducted using generate data.
- Unlike previous research focusing on continuous distribution, we only consider discrete distributions (Poisson...)

In this paper, the introduction is given in Section 1. The concept of power and size (as initiate, Binomial distribution) of the testing hypothesis is presented in Section 2. The derive formula and graphically analysis of the power of the power and size of the Binomial, Poisson and Chi-square distributions are then given in Section 3. The conclusion is provided in Section 4.

2. The Power and Size of One-Side Hypothesis Testing

Following Pratikno [2], Khan [12,13,14], Khan and Saleh [15,16,17,20,21], Khan and Hoque [19], Saleh [1], Yunus [6], and Yunus and Khan [7, 8, 9, 10], we noted that the power and size of the tests are a significant method to find the significant conclusion of the hypothesis testing parameter shape. Here, we must choose the maximum power and minimum size as an indicator. Furthermore, Wackerly, et al. [5] generally defined that the power is a probability? reject H_0 under H_1 in testing hypothesis, and the size is a probability to reject H_0 under H_0 . Following Pratikno [2], we then write the power and size in testing hypothesis, $H_0: \theta = \theta_0$ versus $H_1: \theta > \theta_0$ (or $H_1: \theta = \theta_1$) as, respectively,

$$\pi(\theta_1) = P(\text{reject } H_0 \mid \text{under } H_1) = P(\text{reject } H_0 \mid \theta = \theta_1) \approx 1 - \beta$$
 (1)

the typing of math symbols could be improved

use center mode for example!
$$\pi(\theta_0) = P(\text{reject } H_0 | under H_0) = P(\text{reject } H_0 | \theta = \theta_0) \approx \alpha$$
 (2)

use center mode for example! $\pi(\theta_0) = P(\text{reject } H_0 | under H_0) = P(\text{reject } H_0 | \theta = \theta_0) \approx \alpha$ (2) where α is probability of type error I and β is probability of type error II. Detail of the power and size in testing coefficient parameters on the regression models are found on Pratikno [2], and the power and size on several continuous distributions are also found Pratikno et al.[3,4].

3. The Power and Size of Discrete and Continuous Distributions

3.1. The Power and Size of the Binomial Distribution

Following Pratikno [2], we derived the formula of the power and size of the discrete (Binomial and Poisson) and continuous (Chi-square) distributions, As an initiate, we follow, Pratikno [2], the power and size of the binomial distribution are computed in one-side hypothesis testing on several n and bound of the rejection areas. Let, X_i follows-

Bernoulli distribution with parameter θ . Take a trial n = 12, then $Y = \sum_{i=1}^{n=12} X_i$ then follows Binomial distribution

with n=12 and $p=\theta^{\text{and}}$ is written as $Y: B(n,\theta)$. Here, we then decide (an example $\theta=0.7$) to test $H_0: \theta = 0.7 \text{ versus } H_1: \theta > 0.7 (\textit{as } \theta_1) \text{ , with rejection area } \{(x_1,...,x_{12}): Y \leq 5\}, \text{ therefore } \text{ the power function } \{(x_1,...,x_{12}): Y \leq 5\}, \text{ therefore } \{(x_1,...,$ on the binomial distribution is then given as

$$\pi(\theta) = P(reject \, H_0 \, | \text{under } H_1 : \theta) = \sum_{y=0}^{5} \binom{12}{y} \theta^y (1-\theta)^{12-y}$$

$$= \binom{12}{0} \theta^0 (1-\theta)^{12} + \binom{12}{1} \theta^1 (1-\theta)^{11} + \binom{12}{2} \theta^2 (1-\theta)^{10} + L + \binom{12}{5} \theta^5 (1-\theta)^7$$

$$= (1-\theta)^7 \left(1 + 7\theta + 28\theta^2 + 84\theta^3 + 210\theta^4 + 462\theta^5\right)$$
(3)

Using the equation (3) and *R-code*, we then produced the graphs (curves) of the power in Figure 1.

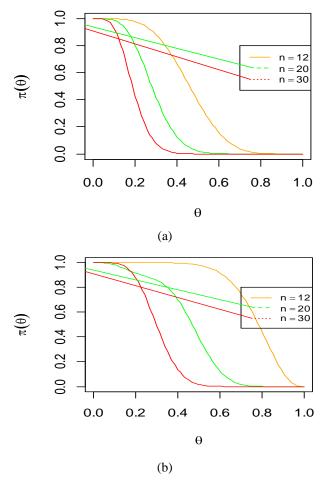


Figure 1. The power of the Binomial Distribution at several n and Y=5 and 9

Figure 1. showed that the curve of the power of the Binomial distribution (Figure 1 (a) and (b)) are sigmoid (S curve) and depended by the number of trials (n) and the bound of the rejection area (Y). They tend to be (close) zero for $\theta > 0.4$. The curve decreases (started from $\theta = 0.2$) as the parameter increases. From Figure 1 (a) and (b), it is clear that both n and Y are significant affecting the shape of the curve (see they move to the right as S-curve). Here, the maximum power is one and the minimum power is zero. The size is then produced using the equation (3) under H_0 , as

 $\alpha = P(\text{reject } H_0 | \text{under } H_0) = P(Y \le 5 | \theta = 0, 7) = 0.04.$

It is clear that the size is constant and less than 0.05, so it is a reasonable thing as expected.

3.2. The Power and Size of the Poisson Distribution

Let, X_1 , X_n follow Poisson distribution, the probability distribution function (pdf) of random variable X is then given by

it should be centered
$$f(x,\lambda) = \frac{e^{-\lambda} \lambda^{x_i}}{x_i!}$$
 (4)

with x = 0, 1, 2, ..., and $\lambda > 0$. The pdf curve of the Poisson distribution (positive skew) tend to be normal for large values λ , where the center of the pdf curve always move to the right when λ increases.

To find the power, we then derive sufficient statistics and rejection area using factorization theorem and UMP test, respectively, as follow. Let S be sufficient statistics, the join distribution of the Poisson distribution is then expressed as

centered!
$$f(x_1,...,x_n;\lambda) = g(s,\lambda)h(x_1,...,x_n)$$
 (5)

where the pdf of the join distribution of the Poisson distribution is

not clear

$$f(x_1, ..., x_n; \lambda) = \prod_{i=1}^n f(x_i, \lambda) = \prod_{i=1}^n \frac{e^{-\lambda} \lambda^{x_i}}{x_i!} = \frac{e^{-n\lambda} \lambda^{\sum x_i}}{\prod_{i=1}^n x_i!}.$$
 (6)

We therefore conclude that $s = \sum_{i=1}^{n} x_i$ sufficient statistics, this is due to the equation (6) can be expressed as

$$f\left(x_{1},...,x_{n};\lambda\right) = \frac{e^{-n\lambda}\lambda^{\sum x_{i}}}{\prod_{i=1}^{n}x_{i}!} = \left(\frac{e^{-n\lambda}}{\prod_{i=1}^{n}x_{i}!}\right) \left(\lambda^{s}\right) = h\left(x_{1},...,x_{n}\right)g\left(s,\lambda\right)$$
(7)

The rejection area is then derived using *uniformly most powerful* (UMP) test as follows. Using the properties of maximum likelihood ratio (MLR) of the $f\left(x_1,...,x_n;\lambda\right)$ on $S=\sum_{i=1}^n X_i\left(\sum_{i=1}^n X_i>k\right)$ and UMP-test, we then get the probability to reject H_0 under H_0 (the size or α) and the probability to reject H_0 under H_1 (the power) in testing $H_0:\lambda=\lambda_0$ versus $H_1:\lambda>\lambda_0$, are, respectively,

??
$$\alpha = \alpha(\lambda) = \alpha^* = P\left(\sum_{i=1}^n X_i > k \, | \, \lambda_0\right)$$
$$= P\left(\sum_{i=1}^n X_i > Pois(n\lambda)\right) = \sum_{x=0}^n \frac{e^{-(n\lambda_0)} \left(n\lambda_0\right)^x}{x!} \tag{8}$$

-centered

-also use \displaystyle for sum

-the math symbols as fractions should be re-written

 $\pi(\lambda) = (\text{Probability reject } H_0 \text{ under } H_1)$

$$= P\left(\sum_{i=1}^{n} X_{i} > Poi(n\lambda) | \lambda\right) = 1 - P\left(\sum_{i=1}^{n} X_{i} \leq Pois(n\lambda) | \lambda\right)$$

$$= 1 - \left(\sum_{x=0}^{n} \frac{e^{-n\lambda} (n\lambda)^{x}}{x!} | \lambda\right)$$
(9)

Using the equation (8) and (9), we presented the graph of the power of the Poisson distribution (Figure 2.), and the value of the size and power for n=3 in testing $H_0: \lambda=1$ versus $H_1: \lambda>3$, respectively, as

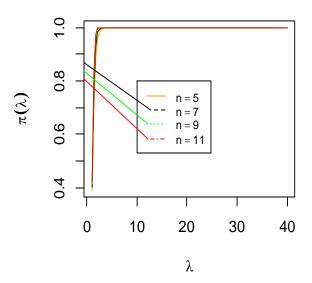


Figure 2. The power of the Poisson Distribution at several n

$$\alpha = 1 - \left(\sum_{x=0}^{n} \frac{e^{-n\lambda_0} \left(n\lambda_0 \right)^x}{x!} \right) = 0.40779 > 0.05,$$

$$\pi(\lambda) = 1 - \left(\sum_{x=0}^{n} \frac{e^{-n\lambda} \left(n\lambda\right)^{x}}{x!}\right) = 0.99985; \quad 1.$$

From Figure 2, we see that the power of the Poisson distribution is really quickly to the 1 when $\lambda < 10$. Here, the simulation of the n has not influenced to the curve of the power yet. Thus, we conclude that the small and large λ are large not significantly to change the shape of the curve of the power. Similarly, for large λ , the shape of the curve of the power does not change. Here, the size 0.408 is greater than 0.05 (too high), so we conclude that it is not good thing Rephrase!!

3.3. The Power and Size of the Chi-square Distribution

that

Let, X be a random variable follows Chi-square distribution, the probability distribution function (pdf) of random variable X is then given |X|

not well typed!!
$$f(x) = \frac{1}{2^{\frac{r}{2}} \tau\left(\frac{r}{2}\right)} x^{\frac{r}{2} - 1} e^{-x/2}, x \ge 0$$
 (10)

the with r is a degree of freedom (as parameter). The cdf of this distribution is the written as

?? like before
$$F_x(x) = \int_0^x f(x) = \int_0^x \frac{1}{2^{\frac{r}{2}} \tau(\frac{r}{2})} x^{\frac{r}{2} - 1} e^{-x/2}$$

The power of this distribution in testing parameter shape $H_0: r = r_0$ versus $H_0: r > r_0$ (r_0 is determined as 1), is then obtained as

$$\pi(r) = P\left(\text{reject } H_0 \mid \text{under } H_1, r_0 = r\right)$$

$$= P\left(S > k \mid r\right) = 1 - P\left(S \le k \mid r\right) \text{the orther equality has to be on a new line}$$

$$= 1 - \int_0^s \frac{1}{2^{\frac{r}{2}} \tau\left(\frac{r}{2}\right)} s^{\frac{r}{2} - 1} e^{-s/2} ds$$

$$= 1 - \left[-\frac{1}{\tau\left(\frac{r}{2}\right)}\right] \left[\tau\left(\frac{r}{2}, v^{2/r}\right)\right]_0^k$$

$$= 1 + \frac{\left[\tau\left(\frac{r}{2}, \frac{s}{2}\right)\right]_0^k}{\tau\left(\frac{r}{2}\right)}$$
(11)

Here $s = \sum_{i=1}^{n} x_i$ is a sufficiency statistics and $\upsilon = \left(\frac{s}{2}\right)^{r/2}$. Using the equation (11), we then produced the graphs of the power and size are presented in Figure 3 and Figure 4.

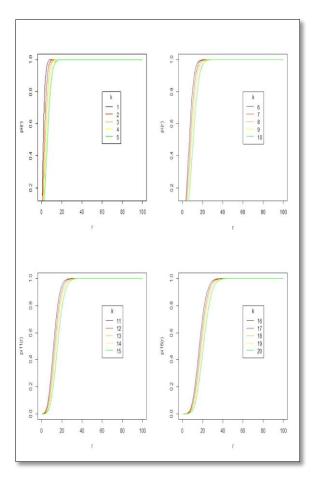


Figure 3. The power of the Chi-square Distribution at several k

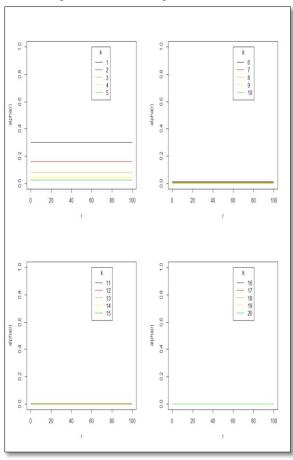


Figure 4. The Size of the Chi-square Distribution at several k

the vlaues k
From Figure 3? we see that the curves of the power-are depended of the k. They skew to the right (S-curve positive) it again! as the k increases. Similarly, we see from Figure 4 that the size are constant and depended of the k, and they decrease as the k increases. To illustrate the values of the size of the Chi-square distribution, we presented a simulation k=5 and k=10, on r=1, as below, respectively

For k=5,
$$\alpha = \pi(1) = 1 + \frac{\left[\tau\left(\frac{r}{2}, \frac{s}{2}\right)\right]_0^5}{\tau\left(\frac{r}{2}\right)}$$

$$= 1 + \frac{\left[\tau\left(\frac{r}{2}, \frac{5}{2}\right) - \tau\left(\frac{r}{2}, 0\right)\right]}{\tau\left(\frac{r}{2}\right)} \approx 0.025$$
For k=10,
$$\alpha = \pi(1) = 1 + \frac{\left[\tau\left(\frac{r}{2}, \frac{s}{2}\right)\right]_0^{10}}{\tau\left(\frac{r}{2}\right)}$$

a better use of math typing skills is recommended

$$= 1 + \frac{\left[\tau\left(\frac{r}{2},5\right) - \tau\left(\frac{r}{2},0\right)\right]}{\tau\left(\frac{r}{2}\right)} \approx 0.002.$$

4. Conclusion

To find the power of the Poisson distribution, we must consider sufficient statistics and UMP test for getting the rejection area. In the Binomial distribution context, the curve of the power is depended on the number of trials n and the bound of the rejection area. The curves tend to be going to zero when $\theta > 0.4$, and they decreases (started from $\theta = 0.2$) as the parameter increases, and the curve is sigmoid (S curve). In the Poisson distribution context, the result showed that the power of the Poisson (not sigmoid, S curve) distribution is quickly to be 1 on several simulation $n(n \ge 2)$ and $\lambda(\lambda < 10)$. In the context of chi-square distribution, we noted that the curves of the power are depended of $\frac{\partial \mathbf{k}}{\partial t}$ and the skewness of the S-curve positive as the k increases. Here, we noted that the size are constant ?? and depended of the k and it decrease as the k increases. The last statement is not clear!

Did you use alphabetical order?? REFERENCES

- [1] A. K. Md. E. Saleh. Theory of preliminary test and Stein-type estimation with applications. John Wiley and Sons, Inc., New Jersey, 2006.
- [2] B. Pratikno. Test of Hypothesis for Linear Models with Non-Sample Prior Information. Unpublished PhD Thesis, University of Southern Queensland, Australia, 2012.
- [3] B. Pratikno. The noncentral t distribution and its application on the power of the tests. Far East Journal of Mathematical Science (FJMS), 106 (2), 463-474, 2018.
- [4] B. Pratikno, Power of hypothesis testing parameters shape of the distributions. Far East Journal of Mathematical Science (FJMS), 110 (1), 15-22, 2019
- [5] D. D. Wackerly, W.Mendenhall III, and R. L.Scheaffer. Mathematical statistics with application, 7th Ed. Thomson Learning, Inc., Belmont, CA, USA, 2008.

- [6] R. M. Yunus. Increasing power of M-test through pre-testing. Unpublished PhD Thesis, University of Southern Queensland, Australia, 2010.
- [7] R. M. Yunus and S. Khan. Test for intercept after pre-testing on slope a robust method. In: 9th Islamic Countries Conference on Statistical Sciences (ICCS-IX): Statistics in the Contemporary World Theories, Methods and Applications, 2007.
- [8] R. M. Yunus and S. Khan. Increasing power of the test through pre-test a robust method. Communications in Statistics-Theory and Methods, 40, 581-597, 2011a.
- [9] R. M. Yunus and S. Khan. M-tests for multivariate regression model. Journal of Nonparamatric Statistics, 23, 201-218, 2011b.
- [10] R. M. Yunus and S. Khan. The bivariate noncentral chi-square distribution Acompound distribution approach. Applied Mathematics and Computation, 217, 6237-6247, 2011c.
- [11] S. Khan, B. Pratikno, A.I.N. Ibrahim and R.M Yunus, The correlated bivariate noncentral F distribution and Its application. Communications in Statistics—Simulation and Computation, 45 3491–3507, 2016.
- [12] S. Khan. Estimation of the Parameters of two Parallel Regression Lines Under Uncertain Prior Information. Biometrical Journal, **44**, 73-90, 2003.
- [13] S. Khan. Estimation of parameters of the multivariate regression model with uncertain prior information and Student-t errors. Journal of Statistical Research, **39**(2) (2005), 79-94. remove bracket for the year!
- [14] S. Khan. Shrinkage estimators of intercept parameters of two simple regression models with suspected equal slopes. Communications in Statistics Theory and Methods, **37**, 247-260, 2008.
- [15] S. Khan. and A. K. Md. E. Saleh. Preliminary test estimators of the mean based on p-samples from multivariate Student-t populations. Bulletin of the International Statistical Institute. 50th Session of ISI, Beijing, 599-600, 1995.
- [16] S. Khan. and A. K. Md. E. Saleh. Shrinkage pre-test estimator of the intercept parameter for a regression model with multivariate Student-t errors. Biometrical Journal, 39, 1-17, 1997.
- [17] S. Khan. and A. K. Md. E. Saleh. On the comparison of the pre-test and shrinkage estimators for the univariate normal mean. Statistical Papers, **42**(4), 451-473, 2001.
- [18] S. Khan., Z. Hoque and A. K. Md. E. Saleh. Improved estimation of the slope parameter for linear regression model with normal errors and uncertain prior information. Journal of Statistical Research, 31 (1), 51-72, 2002.
- [19] S. Khan. and Z. Hoque. Preliminary test estimators for the multivariate normal mean based on the modified W, LR and LM tests. Journal of Statistical Research, Vol 37, 43-55, 2003.
- [20] S. Khan. and A. K. Md. E. Saleh. Estimation of intercept parameter for linear regression with uncertain non-sample prior information. Statistical Papers. 46, 379-394, 2005.
- [21] S. Khan. and A. K. Md. E. Saleh. Estimation of slope for linear regression model with uncertain prior information and Student-t error. Communications in Statistics Theory and Methods, 37(16), 2564-258, 2008.
- [22] S. Khan and B. Pratikno, Testing Base Load with Non-Sample Prior Information on Process Load. Statistical Papers, 54 (3), 605-617, 2013.



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